

# Application of Artificial Intelligence

Opportunities and limitations through life & Earth sciences examples

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Statistiques pour les sciences du Vivant et de l'Homme

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# Goal

- Discover and practice machine learning (ML) techniques
  - Linear regression
  - Logistic regression
  - Neural networks
- Experiment some limitations
  - Curse of dimensionality
  - Hidden overfitting
  - Sampling bias
- Towards autonomy with ML techniques
  - Design experiments
  - Organize the data
  - Evaluate performances

# Today's outline

- Short summary of the last lecture
- Logistic regression exercise correction
- Cross-validation
- Application to IBD prediction

# Last lecture

Remember

What do you remember from last lecture?

# Last lecture

## Remember

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- Curse of dimensionality

# Last lecture

## Remember

What do you remember from last lecture?

- Curse of dimensionality
  - Experimental evidence
  - Regularization helps to get the right parameters
- Logistic regression

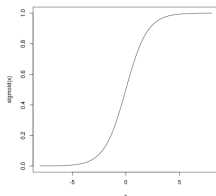
# Logistic regression

The best predictor is:  $f(\vec{x}) = p(Z = 1|\vec{x})$ . Problem:  $p(Z = 1|\vec{x})$  is unknown.

Many situations<sup>1</sup> lead to the following form:

$$\exists \vec{w} \text{ such that } p(Z = 1|x) = \sigma(\vec{w} \cdot \vec{x} + b)$$

where the function  $\sigma$  is the logistic sigmoid  $\sigma : x \mapsto \frac{1}{1+e^{-x}}$



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<sup>1</sup>For instance  $\vec{x}|Z = i \sim \mathcal{N}(\vec{\mu}_i, \Sigma)$ , or  $x_i$ 's being discrete.

# Conditional likelihood

## Exercise

1. Show that it is not possible to find the parameters  $\vec{w}$  by maximum likelihood if we don't know the distribution of  $\vec{x}$ .
2. Let  $f(\vec{x}) = p(Z = 1|\vec{x}) = \sigma(\vec{w} \cdot \vec{x} + b)$ . Show that the *conditional* log-likelihood  $LL = \log P(z_1, \dots, z_N | \vec{x}_1, \dots, \vec{x}_N, \vec{w}, b)$  writes:

$$LL(\vec{w}, b) = \sum_{i=1}^N [z_i \cdot \log f(\vec{x}_i) + (1 - z_i) \cdot \log(1 - f(\vec{x}_i))]$$

3. To what well-known loss the optimization of this conditional likelihood corresponds?
4. Interpret geometrically the role of parameters  $\vec{w}$  and  $b$ .

# Choice of the regularization parameter

$$\min_{\vec{\beta}} \sum_{i=0}^N (y_i - \vec{\beta} \cdot \vec{x}_i)^2 + \lambda ||\vec{\beta}||_1$$

## Exercise

1. What happens if  $\lambda$  is small?
2. What happens if  $\lambda$  is huge?

## Choice of the regularization parameter

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### Exercise

1. What happens if  $\lambda$  is small?
2. What happens if  $\lambda$  is huge?

How to choose the right value of the regularization parameter  $\lambda$ ?

## Cross-validation

$\lambda$  should be chose to **generalize** as best as possible!

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| $X_1$ | $X_2$ | ... | $X_N$ | Y |
|-------|-------|-----|-------|---|
| -0.74 | 0.57  | ... | -0.82 | 0 |
| 0.26  | 0.07  | ... | 0.49  | 1 |
| -0.53 | -0.07 | ... | 0.71  | 1 |
| 0.69  | 0.27  | ... | 0.45  | 1 |
| -0.79 | 0.07  | ... | 0.9   | 0 |
| -0.18 | -0.97 | ... | -0.25 | 0 |
| -0.56 | -0.21 | ... | 0.24  | 1 |
| -0.66 | 0.16  | ... | -0.96 | 1 |
| -0.02 | -0.18 | ... | -0.95 | 0 |
| -0.44 | 0.46  | ... | -0.25 | 1 |

→ Val. loss = 0.5

Training set

Validation set

# Cross-validation

$\lambda$  should be chose to **generalize** as best as possible!

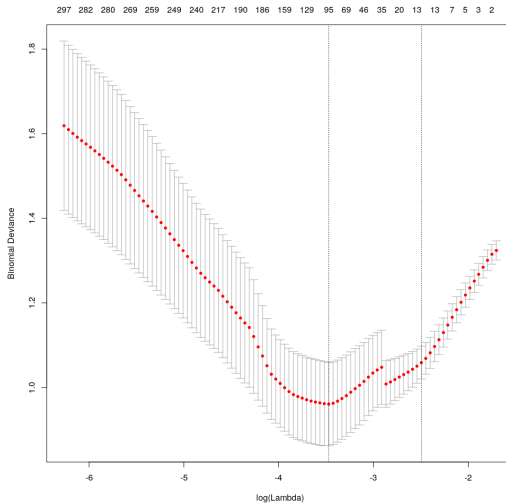
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→ Val. loss = 0.8

Training set

Validation set

# Cross-validation experimental results



[R package: `cv.glmnet`]

# Classification of microbial communities.

## Application to human health.

# Microbiome importance in human health

The bright side:



Health status highly correlated with the diversity of the gut microbiome [Valdes et al. 2018]

## Germany: Ten die from E.coli-infected cucumbers

🕒 28 May 2011



The death toll in Germany from an outbreak of E.coli caused by infected cucumbers has risen to at least 10.

The cucumbers, believed to have been imported from Spain, were contaminated with E.coli which left people ill with hemolytic-uremic syndrome (HUS).

Hundreds of people are said to have fallen sick.



It is unclear whether the cucumbers were infected at source or in transit

The dark side:

[Karch et al. EMBO Mol. Med. 2012]

# Studying the microbiome: hard work!



How to study micro-organisms?

- Isolate the organism
- Grow in culture
- Observe, experiment



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Far from being always possible, often need symbiosis.  
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A better way to study micro-organisms?

# Accessing the DNA of the microbiome: shotgun metagenomics



Sample



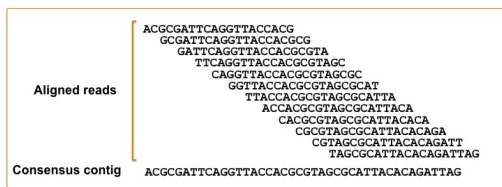
Sequencing



ATGATCAGTATTACCTGACAGTAGCTTG  
ATGATCAGTATTACGTATACTACCTGAC  
TTACTCAGTTATTACCTGACAGTAGCTT  
ATGATCAGTATTACCTGACAGTATACAT

Fragmented sequences  
(reads  $\sim 10^9 \times 250\text{bp}$ )

Assembly: from reads to **contigs**:



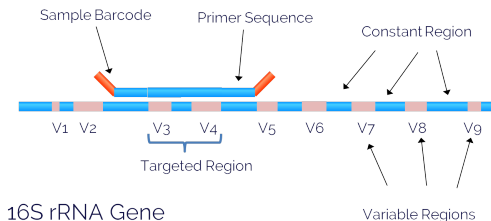
(Algorithmic and machine learning challenges here!)

# Barcodes to identify species

Some parts of the genome of micro-organisms are specific to each species and allows to identify them.



For example the 16S region in bacteria:

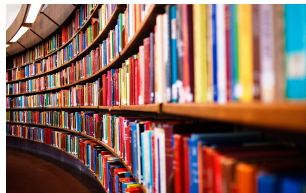


# The big picture



sample

DNA  
→  
information



catalog of species

# Metagenomics insights on the human gut microbiome

2000's  
Human genome



2010's  
Gut metagenomes



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Human genome



$\approx 20\text{k}$  protein-coding genes  $\xrightarrow{\times 100}$   $\approx 2\text{M}$  protein-coding genes

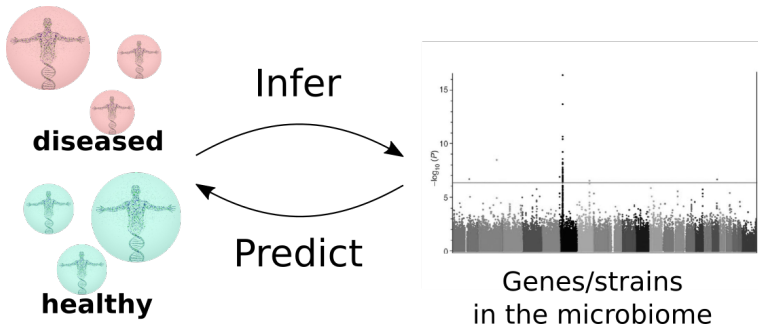
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Human gut microbiome is rich!

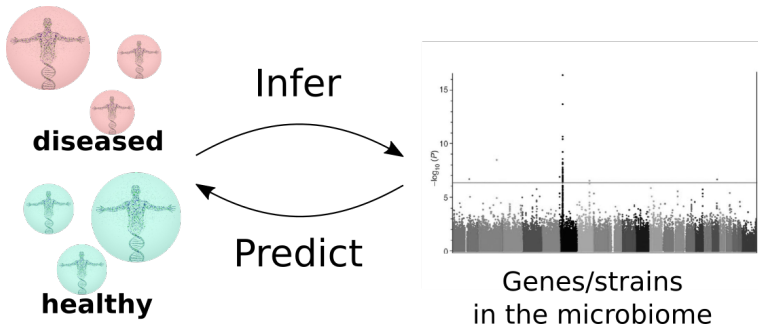
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Relates the variation of the microbiome to the phenotype.



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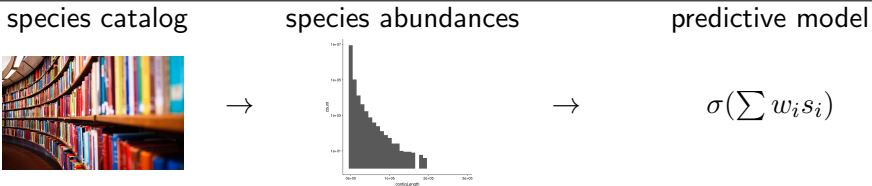
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Today

You will diagnosis Inflammatory Bowel Disease through the structure of the gut microbial community.

## MWAS in an ideal world



It's a classification problem!

# Predict IBD!

Fetch:

- the R script at  
`clovisg.github.io/teaching/asdia/ctd3/ibd.zip`
- the data at  
`clovisg.github.io/teaching/asdia/ctd3/ibdStart.zip`

Microbial species abundances have been computed for 396 individuals (148 with IBD, 248 healthy).

## Your mission

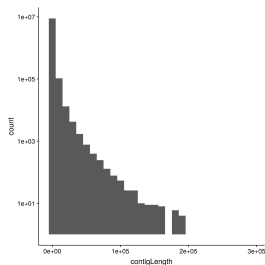
Build a model that predicts IBD status based on the microbial composition of their gut.

See you next week to work with  
regressions!



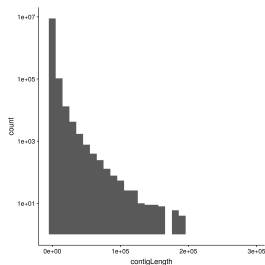
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Assembly process breaks with intra-population variations.



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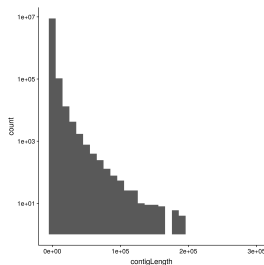
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