# Application of Artificial Intelligence

Opportunities and limitations through life & Earth sciences examples

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# Today's outline

- Short summary of the last lecture
- Continue IBD experiment
- Sampling biases
  - Redundancy
  - Imbalanced data

### Remember

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- Microbiome
  - Plays a key role in human health
  - 1000's of species in one human gut
- Need for regularization

# IBD experiment

Microbial species abundances have been computed for 396 individuals (148 with IBD, 248 healthy).



More than 1000's of species.

Patient	prediction	truth
Patient4	0.82	0
Patient31	0.01	0
Patient77	0.9	1
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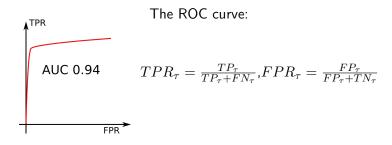
$$\tau = 0.75$$

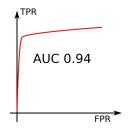
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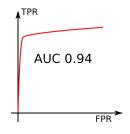
prediction $\downarrow$	truth
0.9	1
0.82	0
0.7	1
0.01	0
	0.82

 $\tau = 0.2$ 

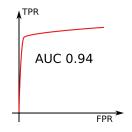




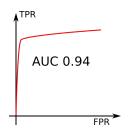
If AUC=1, there exists a threshold  $\tau$  on the predictor output such that FPR\_\_ and TPR\_\_  $\to$  \_\_ classifier.



If AUC=1, there exists a threshold  $\tau$  on the predictor output such that FPR= 0 and TPR....  $\to$  .... classifier.



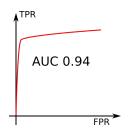
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### Property

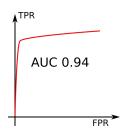
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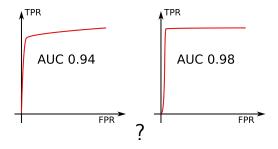
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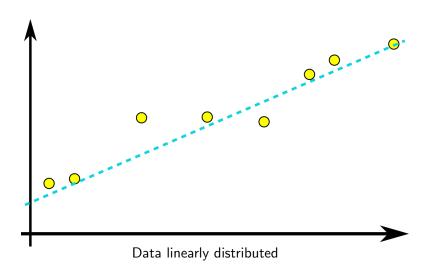
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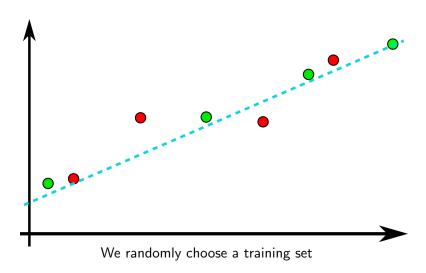
Other metrics you may want to look at include: precision, recall, F1-score.

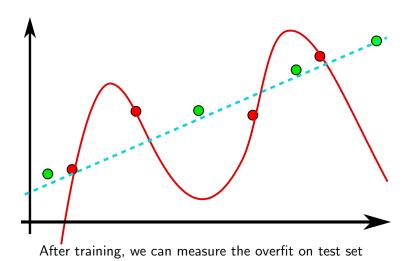
# A metric only measures what it should

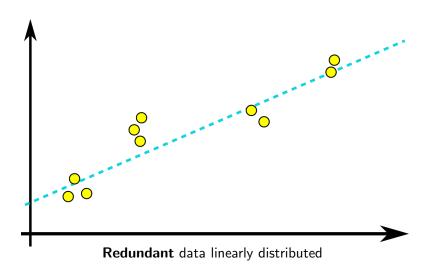


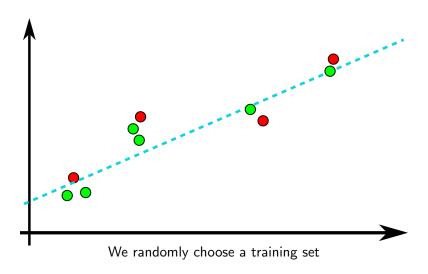
# Hidden overfitting

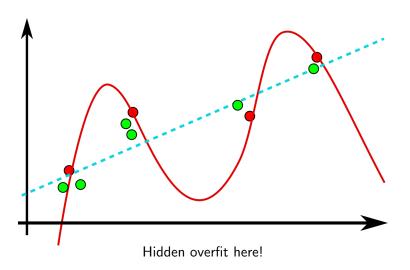












### Redundancy in datasets

Cross-validation is a method (supposedly) providing a way to optimize parameters so that the model **generalizes** as much as possible.

#### Exercise

Design an experiment proving experimentally that cross-validation can have good performances across folds, but poor generalization/real poor performance.

Propose and implement a method reducing this effect.

# Imbalanced data

# Imbalanced dataset/sampling

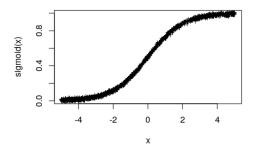




Goal: predict the future melt

# Glacier melting as a function of temperature

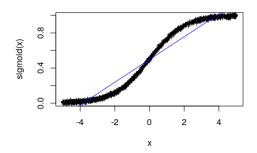
Consider that the response to temperature (x-axis) of melting of a glacier (y-axis) take the following form :



(saturation of the melting speed at high temperatures)

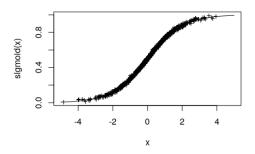
# Linear modeling of the melt

Optimizing the MSE of a linear model should have the following form (blue line):



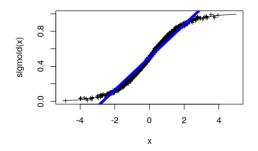
# Sampling bias

But in reality, we seldom observe the extreme values, so that the data points are distributed as follow:



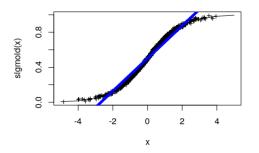
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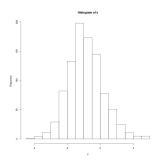
... so that computing the real MSE (with even sampling of the temperature range) is around 0.03.

# Skewed marginal distribution

The loss is computed on average on the dataset:

$$\min_{\vec{\beta}} \sum_{i=0}^{N} (y_i - \vec{\beta}.\vec{x_i})^2$$

Distribution of the  $y_i$ 's:

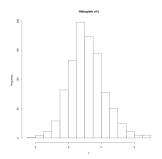


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Distribution of the  $y_i$ 's:



What could be an issue here?

# Dealing with imbalanced data

#### Exercise

- 1. In a (linear) regression setting, design an experiment to prove empirically that imbalanced data can be a problem.
- 2. How could you change the following loss function in order to reduce the effect of the imbalance?

$$\min_{\vec{\beta}} \sum_{i=0}^{N} (y_i - \vec{\beta}.\vec{x_i})^2$$

3. Look up the options of the 1m R command that implements the solution you have found in 2. and show that you can reduce the impact of imbalance.

# Weight the data

One trick is to give the data samples with a weight that is inversely proportional to the density. We want to optimize the following loss:

$$\min_{\vec{\beta}} \sum_{i=0}^{N} w_i (y_i - \vec{\beta}.\vec{x_i})^2$$

where  $w_i$  give corrects for the sampling density.

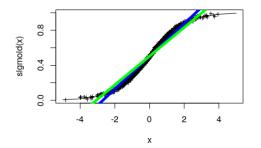
```
# estimate the density function
sampleDensity = density(data$y)

# compute the weights at data points
w = 1/approx(sampleDensity$x,sampleDensity$y,data$y)$y

# fit using the density the weights
linRegCorrected = lm(y~x,data,weights=w)
```

### Corrected model

With weights, we get the green model:



Does not look a huge improvement, but **reduces the MSE**<sup>1</sup> **by a half** (0.015 instead of 0.03)!

<sup>&</sup>lt;sup>1</sup>MSE computed with evenly distributed temperature over the whole range

### Imbalanced data is common!

This effect actually applies to many cases, in particular with classification tasks (imbalance of 0 and 1 labels).

Beware!

# Hope you've learned some stuff during those lectures!